

#### **QUICK START GUIDE**

# Problem-Based Optimization with Optimization Toolbox™

Use a natural syntax for defining and solving linear and mixed-integer linear, quadratic, linear least squares, and nonlinear optimization problems.

### 1. Define Problem

Following the *problem-based workflow*, first create an optimization problem with **optimproblem** to hold the objective, constraints, and associated variables.

### Examples:

```
assignmentProb = optimproblem
responseProb = optimproblem
```

### 2. Define Variables

Create optimization variables with **optimuar**. Set display name and optional dimensions, bounds, and type. Index with integers or character strings.

#### Examples:

```
x = optimvar("x");
y = optimvar("y");

employees = ["a","b","c"];
tasks = ["t1","t2","t3"];
assign = optimvar("assign",employees,tasks,"LowerBound",0,"UpperBound",1,"Type","integer")
```

### 3. Define Expressions to Use in Objective and Constraints

Directly specify an **OptimizationExpression** that is a ratio of polynomials.

#### Examples:

```
response = -3*(y - x.^3 - x).^2 - (x - 4/3).^2;
totalCost = sum(sum(cost.*assign));
sumByEmployee = sum(assign,2);
sumByTask = sum(assign,1);
```

Specify other expressions as MATLAB functions and convert to optimization expressions with **fcn2optimexpr**.

#### Examples:

```
a = 4;
xyfcn = @(x,y,a)exp(y)*a*x.^2;
xyexpr = fcn2optimexpr(xyfcn,x,y,a);
```

## 4. Define Objective

Set the *sense* of the optimization. Set the *objective function* with a scalar **OptimizationExpression**.

#### Examples:

```
responseProb.ObjectiveSense = "maximize";
responseProb.Objective = response;
assignmentProb.ObjectiveSense = "minimize";
assignmentProb.Objective = totalCost;
```

### 5. Define Constraints

Combine OptimizationExpressions with a relational operator to specify an OptimizationConstraint. Assign to a problem.

#### Examples:

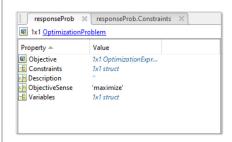
```
responseProb.Constraints.ellipse = x.^2/2 + y.^2/4 \le 1;
responseProb.Constraints.xyconstr = xyexpr >= 1;
assignmentProb.Constraints.oneTaskPerEmployee = sumByTask <= 1;</pre>
assignmentProb.Constraints.oneEmployeePerTask = sumByEmployee == 1;
```

#### 6. Review

Display with showexpr, showconstr, showbounds, and showproblem.



View with the Workspace browser.



### 7. Solve and Analyze

Solve the problem, returning the solution values, objective value, and reason the solver stopped. Provide an initial point for nonlinear problems.

### Example:

```
x0.x = 0;
x0.y = 0;
[sol,fval,exitflag] = solve(responseProb,x0)
  sol = struct with fields:
     x: 0.8883
      y: 1.5563
  fval = -0.2013
  exitflag =
      OptimalSolution
```

Solve with optimization options.

#### Example:

```
o = optimoptions(assignProb,"MaxTime",10);
sol = solve(assignmentProb,"Options",o)
```

#### Do More

- Use evaluate and infeasibility to analyze results
- Interpret and improve results
- Convert to solver-based form with prob2struct
- Include derivatives

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